

Solar activity: Coronal Heating and Solar Flares

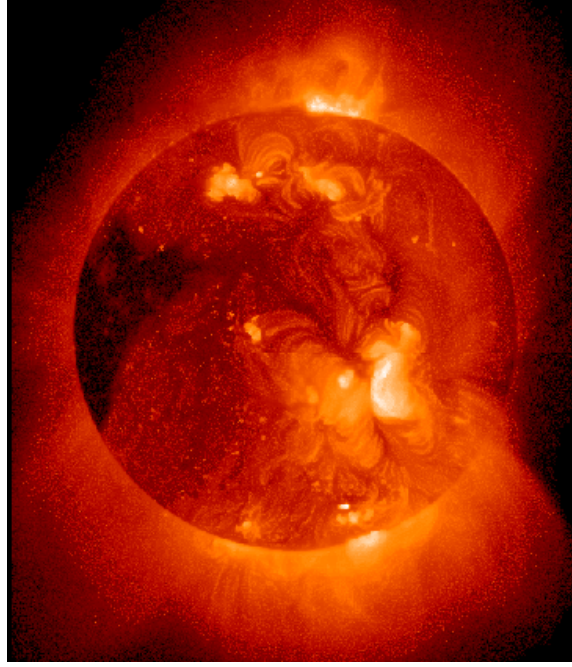
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Statement of the problem:

The solar photosphere is at
 $\sim 5800\text{K}$ and the corona is at
 $\sim 10^6\text{K}$

*Where does the energy
come from, what form does
it take, and how is it
dissipated?*



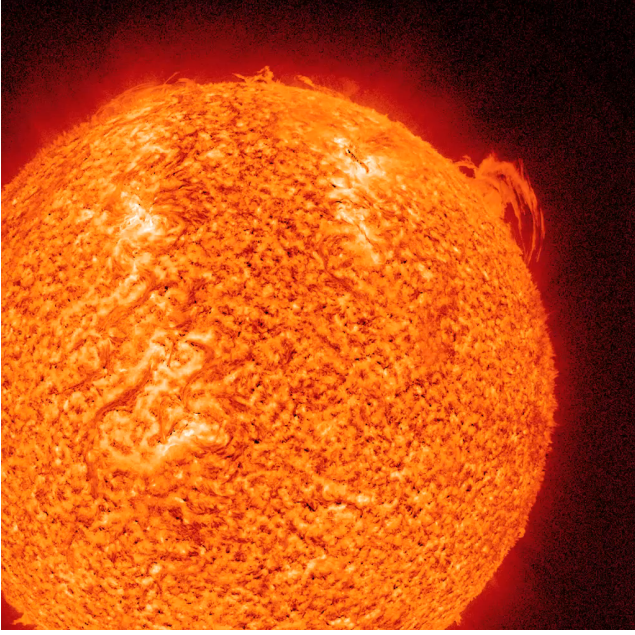
X-rays ($\sim 3\text{MK}$) from Yohkoh SXT (JAXA/NASA/STFC)

Statement of the problem:

A region of the Sun suddenly brightens, heats and produces copious accelerated particles.

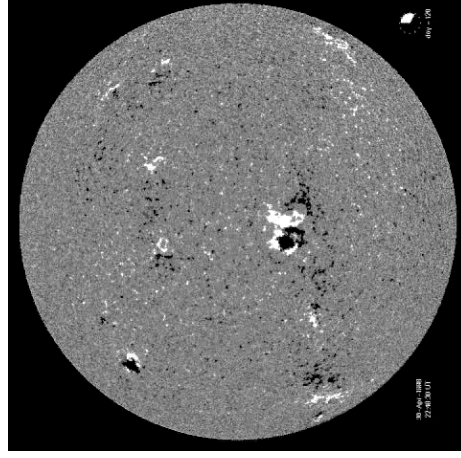
Where does the energy to heat the corona come from, what form does it take, and how is it dissipated?

NB, the flare is the increase in radiation. The associated mass motion is the coronal mass ejection



What do they have in common?

- Magnetic stresses dissipated in the solar corona
- Magnetic free energy fed in from the lower layers
- Same basic problem – how to convert magnetic free energy into other forms (difficult in a highly-conducting plasma)
- Some coronal heating ideas propose a multitude of small flares





What is different?

- Coronal heating is quasi-steady: on observational timescales the plasma evolves slowly
- Flares are abrupt: plasma heats and evolves rapidly
- A further significant difference - flares involve large numbers of non-thermal electrons which are not detected in the non-flaring hot corona

Coronal heating:

- Quasi-steady hot corona means a quasi-continuous dissipation process
- No need for coronal energy storage
- Plasma remains almost Maxwellian

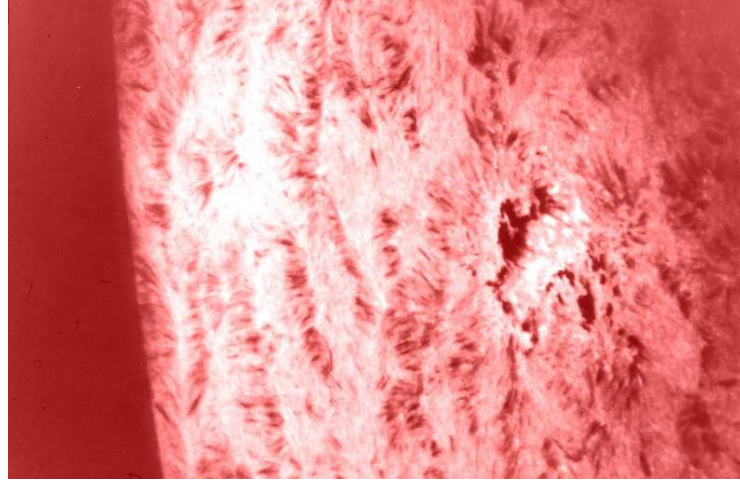
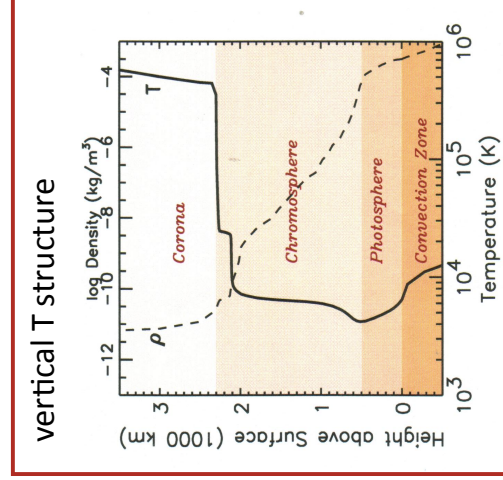
Flares:

- Rapid character of flare means very intermittent energy dissipation
- Need for long-term energy storage.
- Plasma becomes non-Maxwellian



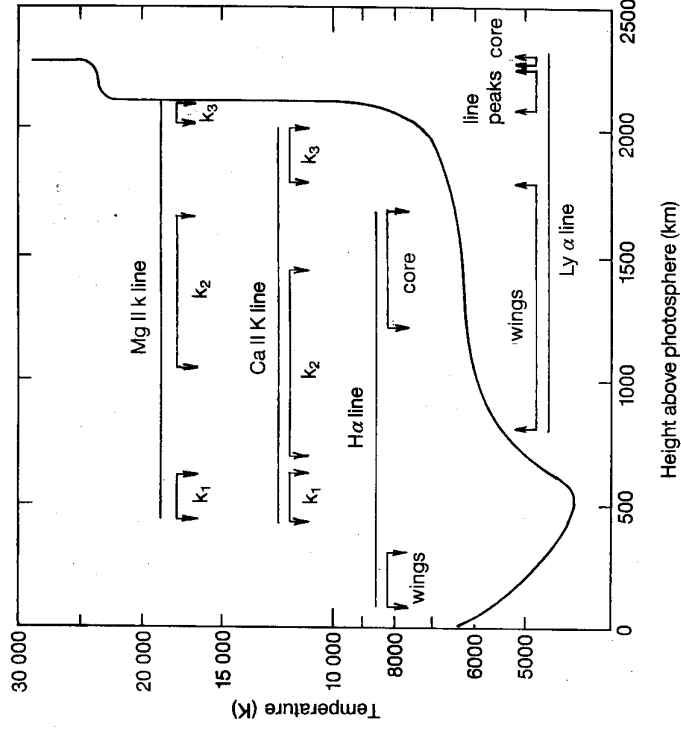
The heating problem really begins in the chromosphere.

In fact, because of its greater mass, the energy requirement is greater.





Plot of Temperature vs height above the photosphere



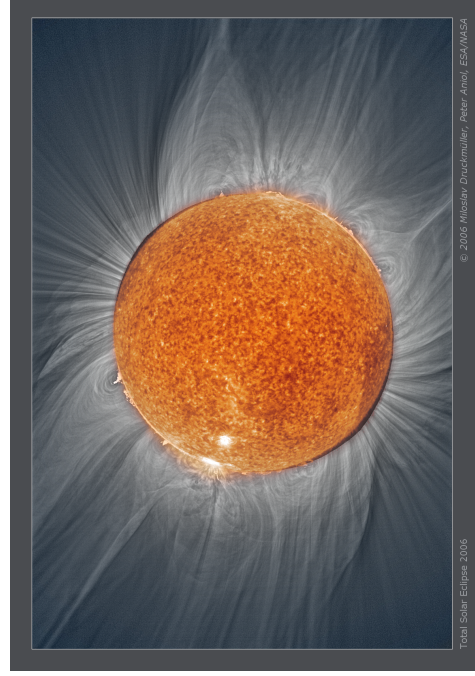
The height ranges of the principal formation of the principal emission lines are shown

For $h > 2300$ km, radiated energy can no longer compete with the rate of energy input so the temperature rises rapidly



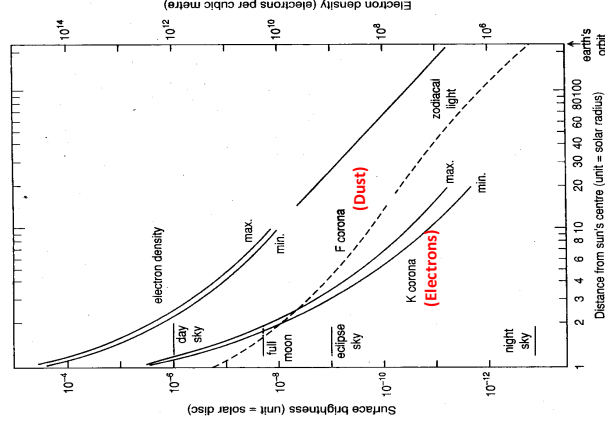
The 'white light' corona is formed by Thomson scattering of photospheric light by free electrons in the coronal magnetic field.

$\beta < 1$ out to $\sim 2R_{\odot}$ (magnetic forces dominate)



Total Solar Eclipse 2006

© 2006 Múscáil Dúchumail, Pádraig Ó Súilleabháin, ES&M/ESA



Composite white light corona and UV image of the chromosphere



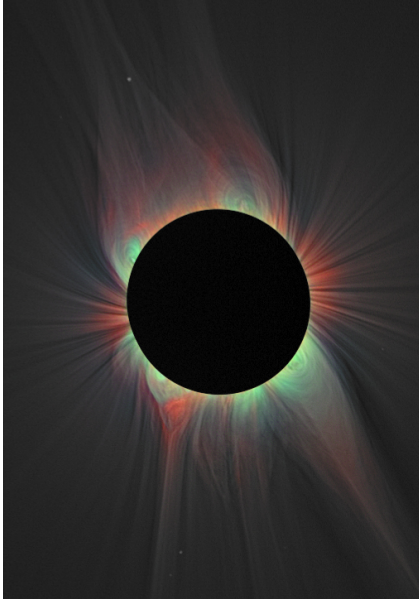
The hot corona

The first hint that the corona is a bit strange came from eclipse observations of the coronal 'green line' (Harkness & Young 1869)

This did not correspond to any of the atomic transitions expected at photospheric temperatures.

Its identification as a forbidden line of *Fe XIV* established the existence of a high T_e corona (Gotrian 1939, Edlén 1942)

Fe X (red) line also identified

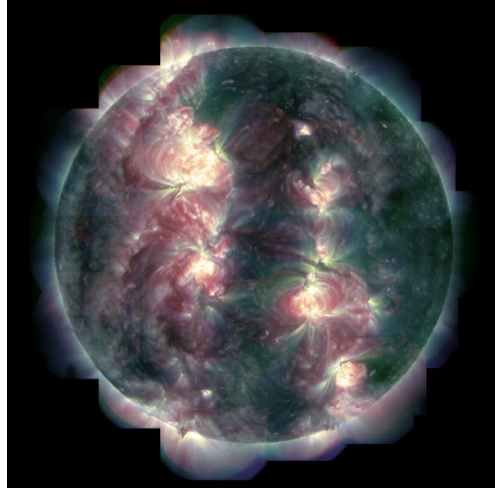


Red, green and white light corona during an eclipse. Habbal et al. (2010)



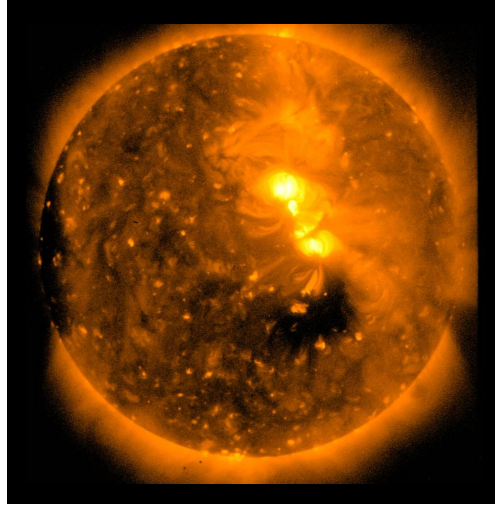
EUV and X-ray corona

From space, we have ample evidence of the million-degree corona



NASA/TRACE

$T \sim 1$ MK. EUV emission is line emission from highly ionised Fe (principal radiating coolant)

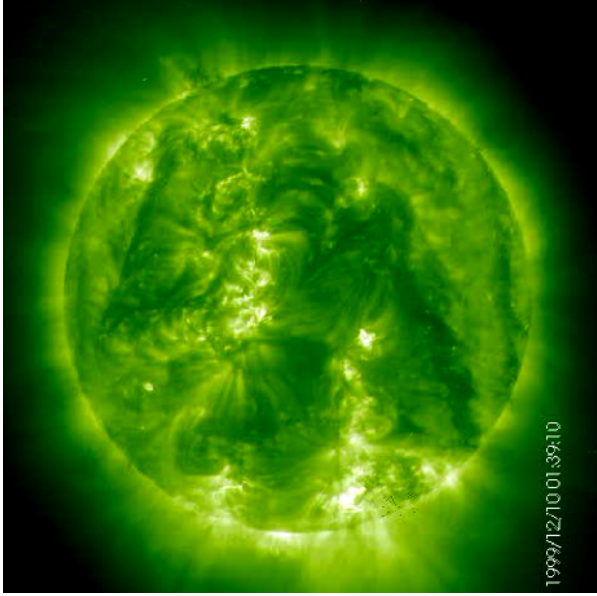


NASA/ISAS/JAXA/Hinode XRT

$T \sim 3-5$ MK. Most X-ray emission is free-free (bremsstrahlung) from hot, quasi-thermal plasma



Energy budget



The chromosphere and the corona are heated by something other than conduction, convection or radiation.

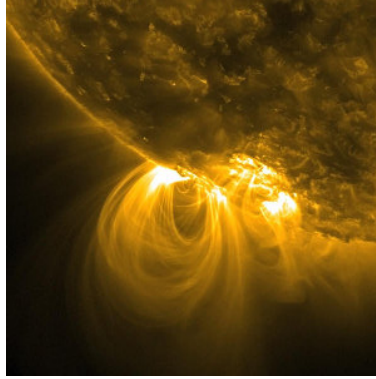
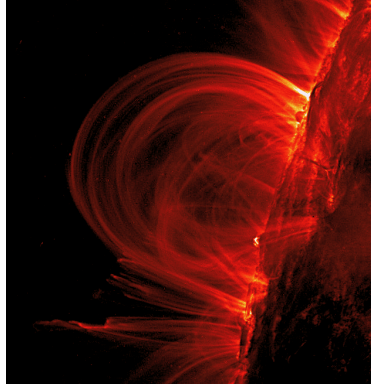
Requirement is $\sim 10^6$ erg cm^{-2}

No problem with energy source - there is $\geq 10^7$ erg cm^{-2} in turbulent & wave energy at photosphere...

The problem is understanding energy *transport* and *dissipation*.



Coronal loops



Coronal heating = loop heating

The hot corona is mostly confined in closed magnetic loops – the basic structural element for the corona.

Each loop is its own mini-atmosphere, thermally isolated from neighbours.

The observables are:

Intensity, doppler shift, line width (*directly from observation*)

Temperature, density, emission measure (*deduced from diagnostics*)

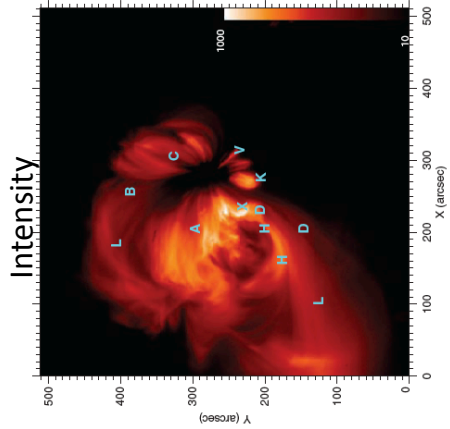
Observational problems are very basic. e.g. How do you isolate and measure intensity in a loop?



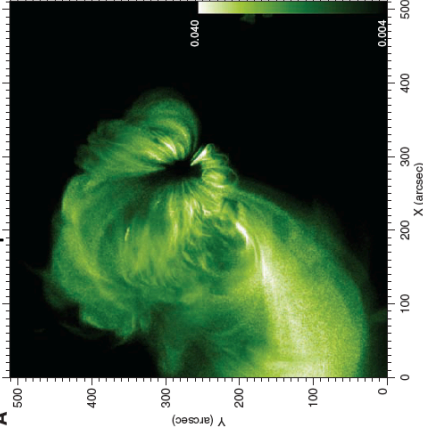
Observed loop properties

- Possibly three ‘classes’ of loop; hot (~5MK), warm (~2MK), cool (<1MK), located in different parts of an active region.
- Loops don’t seem to evolve from hot to warm to cool.
- Only a small fraction of loops are isothermal (~10%)

See ‘Living Reviews in Solar Physics’ article by Reale (2010)



Intensity



Temperature

Temperatures obtained from Hinode XRT filter ratios show temperature gradients and fine structuring (Reale et al 2007)

T range from Log T = 6.3 - 6.6



More about temperature

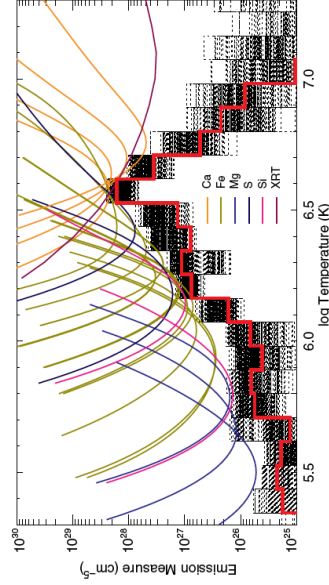
Note: there are 2 relevant temperatures, which could be different.

- electron temperature (determined from collisionally excited lines, or bremsstrahlung)
- ion temperature (from line widths).

Most modeling assumes these are the same – single fluid. Though see work by Bradshaw & collaborators

Temperature measurements are very difficult:

- Inconsistent results from photometry (i.e. filter ratios) and spectroscopy
- Considerably differences depending how background is subtracted



Possibly the most complete picture of temperature comes from emission measure analysis (e.g. Warren et al 2011)

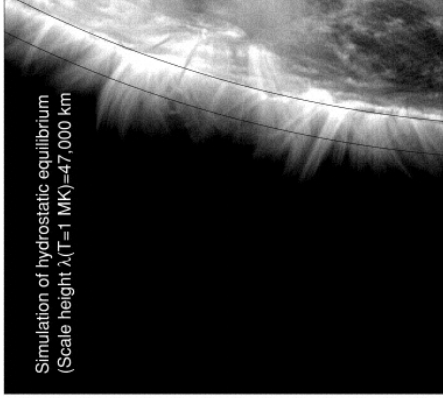
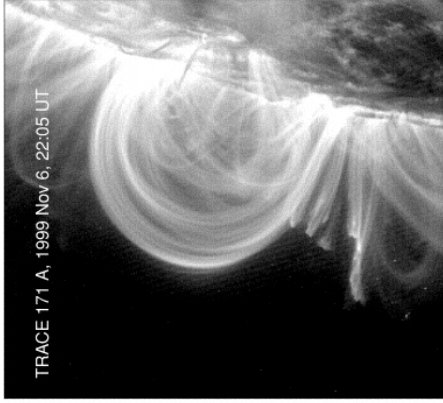
$$d(EM(T)) = n_e(T)^2 dL$$



More loop properties

- Basic scale of transverse field structuring is still sub-resolution
- Intensity distribution inconsistent with hydrostatic equilibrium – implying heating and non-steady flows
- Loops exist for \gg conductive or radiative cooling timescales – again implies heating

See 'Living Reviews in Solar Physics' article by Reale (2010)



Observed loop scale height > hydrostatic scale height.

⇒ Footpoint heating?

(Aschwanden et al 01)



Single loop modeling

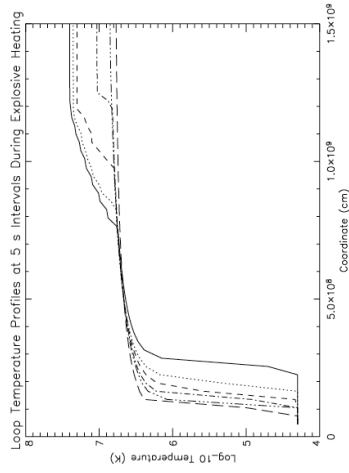
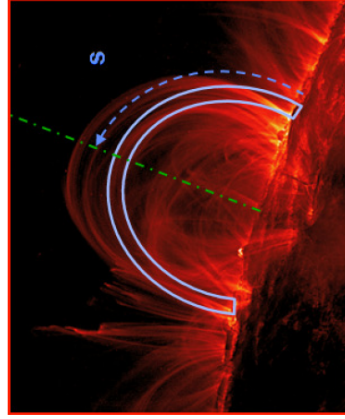
$$\frac{\partial p}{\partial t} + \frac{\partial}{\partial s}(\rho v) = 0,$$

$$\frac{\partial}{\partial t}(\rho v) + \frac{\partial}{\partial s}(\rho v^2) = \frac{\partial}{\partial s}(P_e + P_i) - \rho g \eta,$$

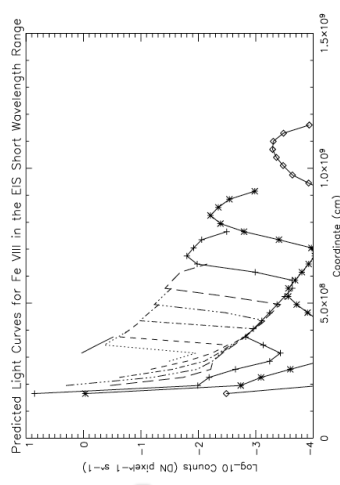
$$\frac{\partial E_{es}}{\partial t} + \frac{\partial}{\partial s}[(E_{es} + P_e)v] = -\frac{\partial F_{es}}{\partial s} + v \frac{\partial P_e}{\partial s} + \frac{k_B n}{\gamma - 1} v_{ie} (T_e - T_i) - R + H_i,$$

$$\frac{\partial E_{is}}{\partial t} + \frac{\partial}{\partial s}[(E_{is} + P_i)v] = -\frac{\partial F_{is}}{\partial s} - v \frac{\partial P_e}{\partial s} + \frac{k_B n}{\gamma - 1} v_{ie} (T_e - T_i) + \rho \kappa \eta_i.$$

$$H_i(s, t) = H_0 \left(1 - \exp\left[-\frac{t_0 - t}{\tau_H}\right] \right) \exp\left[-\frac{|s - S_0|}{S_H}\right]$$



Bradshaw & Cargill 2006

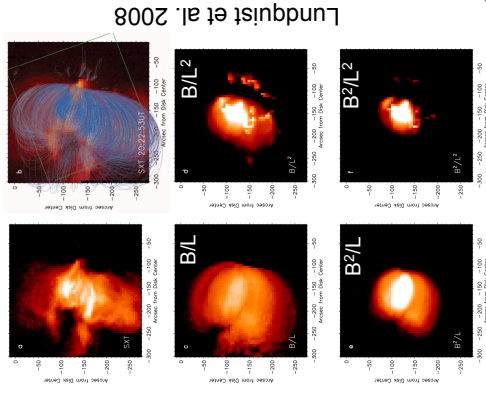




Some models parameterise the heating input as simple functions of the active region loop parameters (e.g. B, L, ρ V...)

From observed parameters, calculate coronal B, assume a density then calculate heat input and temperature for an entire active region using 1D loop model

| Description | Number | Reference | MDK Scaling |
|---|--------|-----------|---|
| Stochastic buildup..... | 1 | | $B^2 L^{-2} V^2 \tau$ |
| Critical angle..... | 2 | | $B^2 L^{-1} V^3 \tan \theta$ |
| Critical twist..... | 3 | | $B^2 L^{-2} V^3 R^3 \phi$ |
| Reconnection $\alpha \Omega_A$ | 4 | | $B^3 L^{-2} \rho^{0.5} V^2 R^3$ |
| Reconnection $\alpha \Omega_{AL}$ | 5 | | $B^{1.5} L^{-1.5} \rho^{0.25} V^{1.2} R^{1.5}$ |
| Current layers (DC)..... | 6 | | $B^2 L^{-2} V^2 + \log R_m$ |
| | 7 | | $B^2 L^{-2} V^2 S^0 L^2 \tau$ |
| | 8 | | $B^2 L^{-2} V^2 \tau$ |
| Current sheets..... | 9 | | $B^2 L^{-1} R^{-1} V^2$ |
| Taylor relaxation..... | 10 | | $B^2 L^{-2} R^3 \phi^2$ |
| Turbulence (DC) with: Constant dissipation coefficients..... | 11 | | $B^{1.5} L^{-1.5} \rho^{0.25} V^{1.2} R^{1.5}$ |
| Closure..... | 12 | | $B^{1.6} L^{-1.33} \rho^{0.17} V^{1.33} R^{0.33}$ |
| Closure + spectrum ($s = 0.7$)..... | 13 | | $B^{1.7} L^{-1.7} \rho^{0.15} V^{1.3} R^{0.7}$ |
| Closure + spectrum ($s = 1.1$)..... | 14 | | $B^{2.1} L^{-2.1} \rho^{-0.05} V^{0.9} R^{1.1}$ |
| Resonance ($m = -1$)..... | 15 | | $B^0 L^{-2}$ |
| Resonance ($m = -2$)..... | 16 | | $B^{-1} L^{-1} \rho^{0.5}$ |
| Resonant absorption I ($m = -1$)..... | 17 | | $B^0 L^0$ |
| Resonant absorption I ($m = -2$)..... | 18 | | $B^{-1} L^{-1} \rho^{0.5}$ |
| Resonant absorption II ($m = -1$)..... | 19 | | $B^0 L^0 \rho^1$ |
| Resonant absorption II ($m = -2$)..... | 20 | | $B^{-1} L^{-2} \rho^{1.5}$ |
| Current layers (AC)..... | 21 | | $B^1 L^{-1} \rho^{0.5} V^2$ |
| Turbulence (AC)..... | 22 | | $B^{1.67} L^{-1.33} R^{0.33}$ |

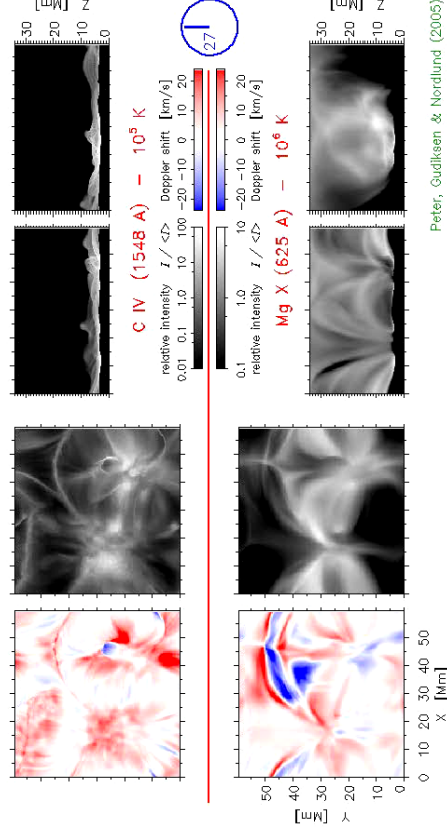


Lundquist et al. 2008



'Ab initio' models - simulate the whole thing...

- Take a model for magnetoconvection and extend the field into the corona
- Use the energy input from lower atmosphere as the coronal heating term
- Explicit forms for energy dissipation (viscous heating, Joule heating)



Peter, Gudiksen & Nordlund (2005)

Looks great but it's so complicated... what do we really learn?



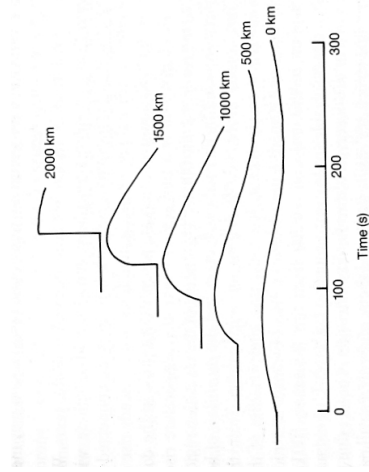
Possibilities for energy transport to corona and heating include:

- Acoustic waves - now thought negligible for corona, since trapped in chromosphere, although some mode-coupling with MHD waves exists.
- Alfvén waves - good at transport, generally bad at dissipation (low shear viscosity in the corona)
- Magneto-acoustic wave dissipation - longitudinal compressional waves will form shocks like acoustic waves
- Field 'tangling' and magnetic reconnection - dissipation of energy at current sheets.



Biermann (1946) and Schwarschild (1948) proposed acoustic waves for heating the chromosphere and the corona

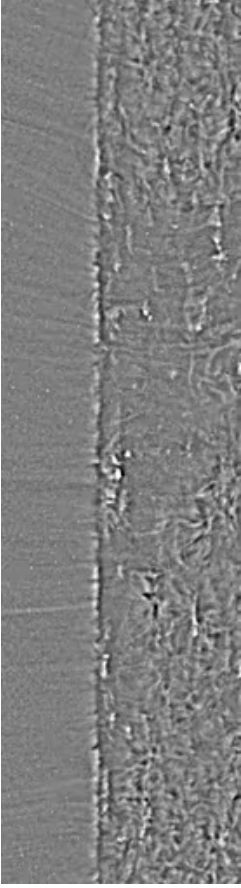
Basic idea – upwards-traveling acoustic compressions moving into low density regions steepen into shocks which dissipate & heat.



- Problem – this mostly happens in the lower chromosphere
- Waves trapped in lower chromosphere by steep sound-speed gradient
- Acoustic flux in the chromosphere is $\sim 10^2 - 10^3$ less than needed to heat the corona.

Upper chromosphere and corona must be heated by a **magnetically dominated** mechanism

Coronal plasma supports many wave modes. Imaging and spectroscopy detections of slow, fast and Alfvén modes have all been claimed.



MacIntosh et al (2011)

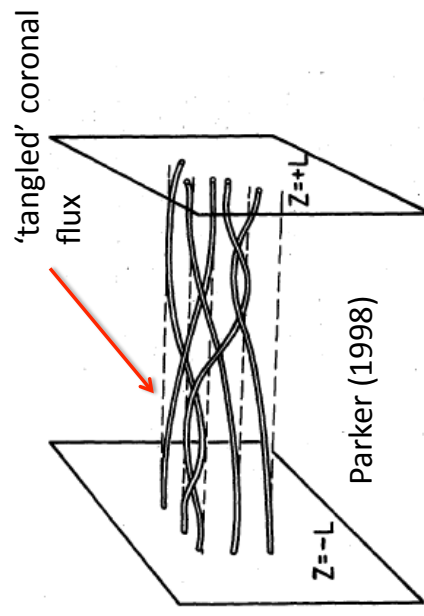
- Alfvén wave energy density is unknown (hard to observe). Also, hard to dissipate Alfvén waves, though this can happen via resonant absorption, phase mixing.
- Slow magnetoacoustic waves are identified and – being compressional – dissipate readily.
- Energy flux in observed waves is too low: at higher frequencies this is unknown...

Dissipation in coronal current sheets

- Parker (1972) - slow random walk of flux -driven by photosphere and sub-photosphere - tangles coronal field.
- Current sheets form at magnetic interfaces (where $\text{curl } B \neq 0$)
- Current may dissipate directly by Joule heating, or by a chain of events involving magnetic reconnection

Nanoflare energy is estimated to be 10^{25} erg for X-ray loops and 10^{23} erg for EUV loops.

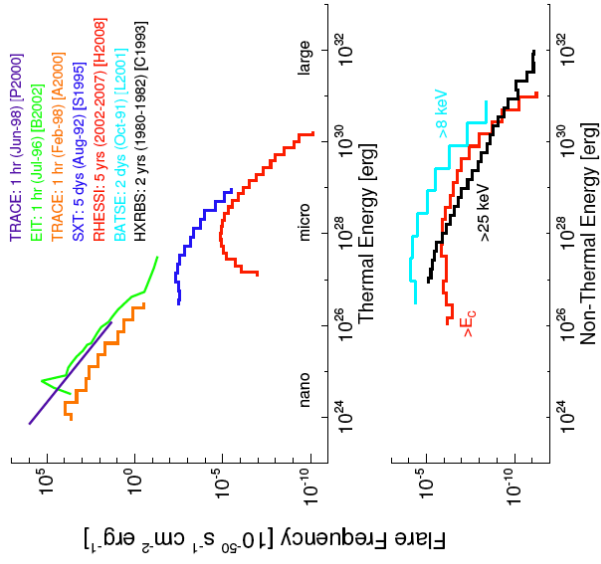
The occurrence rate of nanoflares is about $0.4 \text{ nanoflares s}^{-1}$ in a hot X-ray loop and 30 s^{-1} in an EUV loop





Observed flares span a large range in energies, from microflares (10^{24} ergs) to great flares (10^{32} ergs).

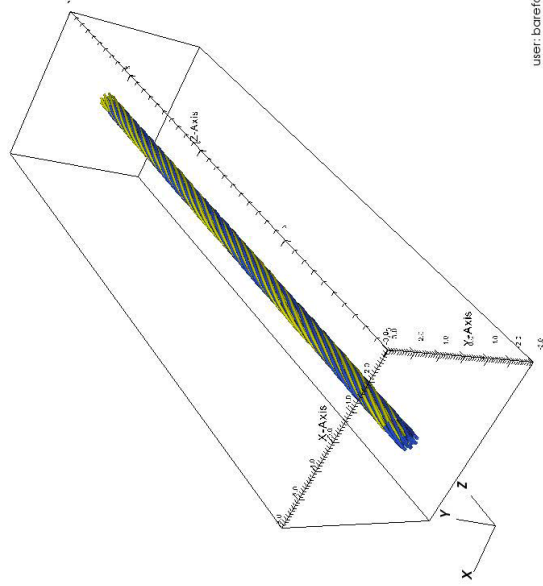
- Flares at 10^{23} erg have not been observed.
- Coronal heating requires a spectral index in flare frequency distribution of > 2 (Hudson 1991)
- Spectral index ranges from 1.5 to 2.1
- Big problems counting very small events near the noise
- Not clear that the readily observable properties (e.g. EUV intensity) are very good proxies for total flare energy.



Hannah et al. 2008



DB: 0000111d
Cycle: 0 Times: 0



User: bareford
Sat Feb 26 20:06:35 2011

Another idea is that a single loop is driven (by footpoint twisting) to instability

Internal current sheets form (red) leading to reconnection and heating

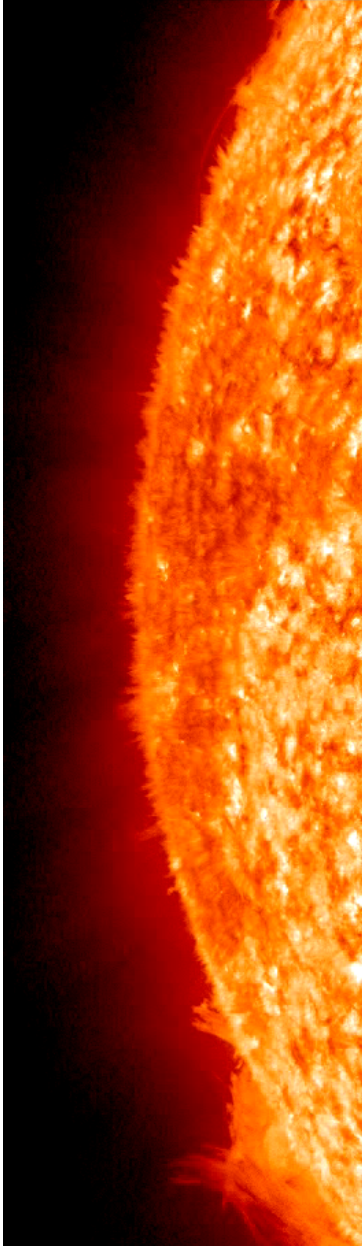
(Bareford et al 2011)



Heating by spicules?

The multitude of jets that on average comprise the chromosphere are known as spicules. Perhaps the energy contained in the mass motion of the spicules heats the corona?

NASA/SDO/AIA



Emission at 30.4nm, from singly-ionised He.

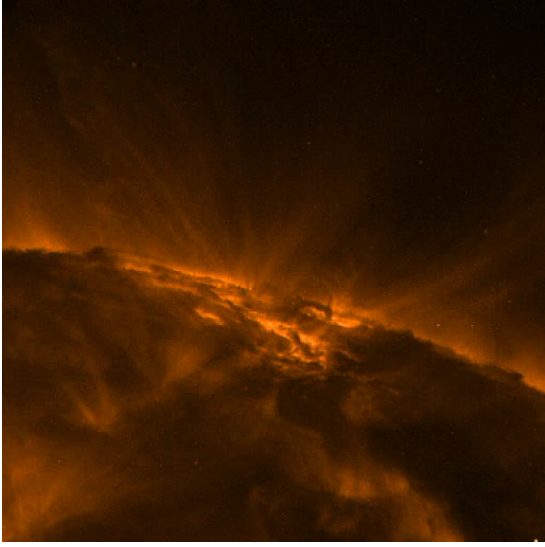
... probably not



What do we learn?

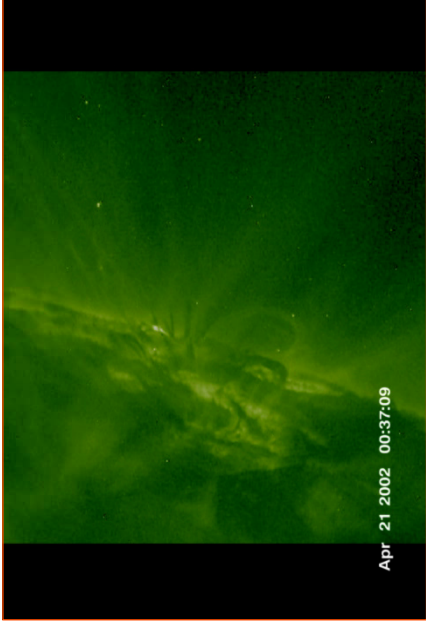
We've learned that this is a surprisingly difficult problem.

- High conductivity and rapid dynamic response of the coronal plasma smears out any clear signatures of different input models on (so far) observable timescales.
- Still plagued by basic things...how to subtract the background?
- Observed flare distribution provides marginal evidence for nanoflares
- nanoflare modeling (intermittent but quasi-steady energy input in multiple loops) does a good job at explaining hot (~5MK) loops and warm (~2MK) loops.
- Energy budget of waves is not well pinned down



Fe XII and Fe XXIV emission (TRACE)

T ~ 20 MK (~2keV)

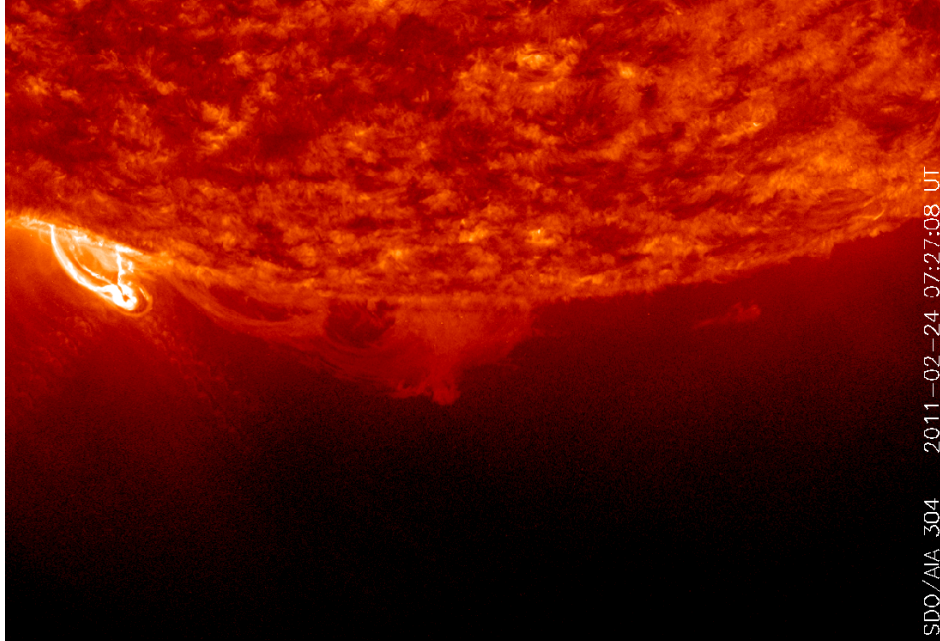


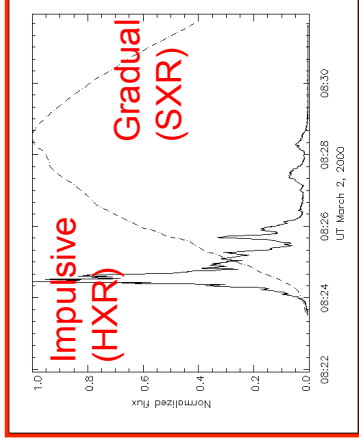
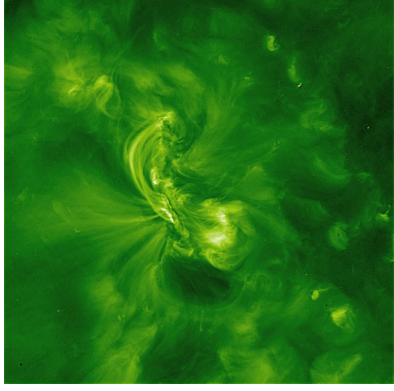
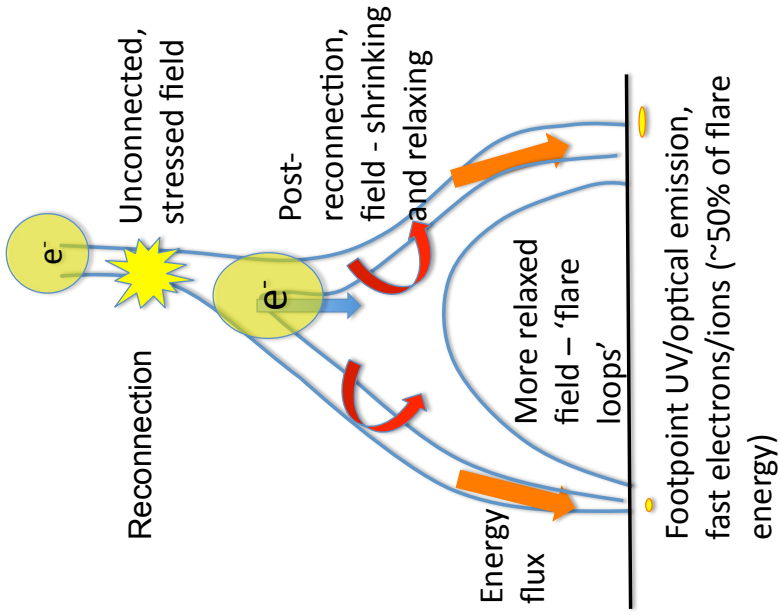
Bremsstrahlung emission:

Red - 12-25 keV (RHESSI)

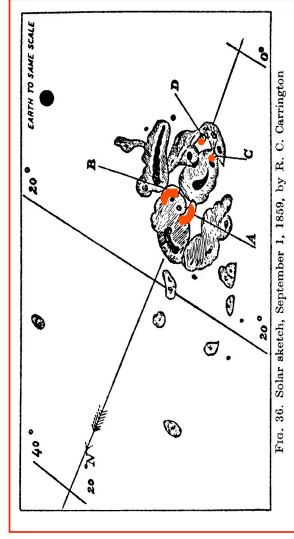
Blue - 25-50 keV – (RHESSI)

Green – thermal (TRACE)



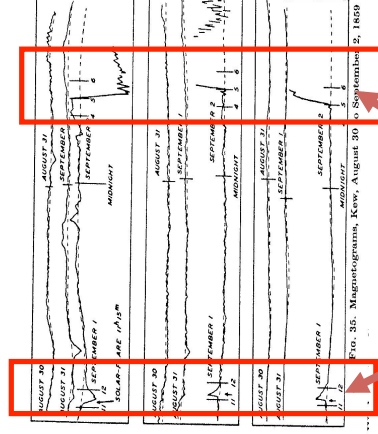


e.g. The Carrington flare of 1859 - first recorded flare observation, and probably the largest. Had this occurred in the modern era its effects could have been catastrophic.



First recorded flare – white light drawing by Carrington (1859)

- Likened to the star α Lyrae, in brilliance and colour (bluish-white)



Magnetometer disturbances following Carrington's Flare :

- (i) flare UV increases ionisation of ionosphere
- (ii) CME arrives, disturbing geomagnetic field



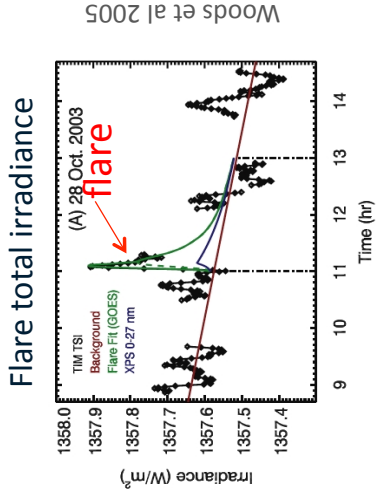
Total flare energy is rather poorly known

- most of the flare energy emerges in the UV to optical range
 - Currently, this range is not well observed
- (Can do much better for stellar flares which have great optical coverage)

Direct 'Sun as a Star' measurement gives X-flare power $\sim 10^{29} \text{ erg s}^{-1}$
 $\sim \text{few} \times 10^{32} \text{ ergs total}$

(Woods et al 04, 05, Kretschmar et al 2010)

Comparable to power *inferred* for non-thermal electrons from hard X-rays.



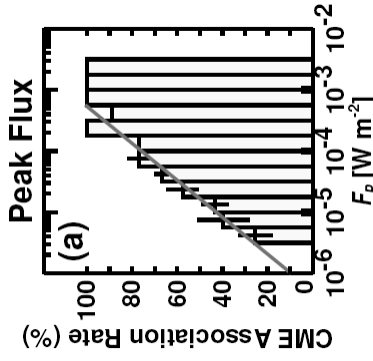
Energy per component in units of $\log_{10} E$ (ergs)

| | 21 April 2002 | 23 July 2002 |
|---|----------------------|----------------------|
| Primary Energy | | |
| Magnetic | 32.3 ± 0.3 | 32.3 ± 0.3 |
| Flare | | |
| Intermediate Energies (1) | | |
| Electrons ($> E_{\min}$) | 31.3 ± 0.5 | 31.3 ± 0.5 |
| Ions ($> 1 \text{ MeV nucleon}^{-1}$) | < 31.6 | 31.9 ± 0.5 |
| Thermal Plasma ($T > 5 \text{ MK}$) | $31.1^{+0.4}_{-1.0}$ | $30.4^{+0.4}_{-1.0}$ |
| Radiant Energy | | |
| From GOES plasma | 31.3 ± 0.3 | 31.0 ± 0.3 |
| $L_{\text{total}}^{(2)}$ | 32.2 ± 0.3 | 32.2 ± 0.3 |
| CME | | |
| Kinetic | 32.3 ± 0.3 | 32.3 ± 0.3 |
| Gravitational Potential | 30.7 ± 0.3 | 31.1 ± 0.3 |
| Energetic Particles at 1 AU | 31.5 ± 0.6 | < 30 |

(1) E_{\min} is largest value of low energy cutoff compatible with HXR spectrum.

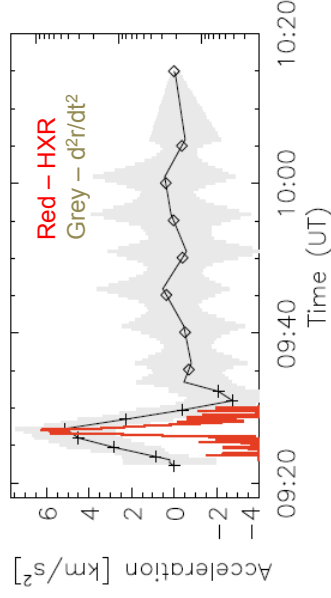
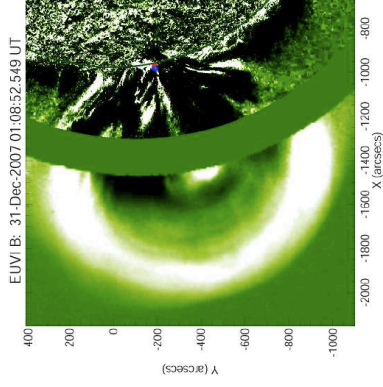
(2) Assumes $L_{\text{total}}/L_x = 100$ (e.g. Kretschmar 2011)

- 90% of GOES X-flares have a CME.
- Within instrumental time resolution, CME acceleration peaks simultaneously with hard X-rays
- Flare energy density \gg CME energy density



Yashiro et al. (2007)

Krucker et al. (2007)



Temmer et al. (2010)

MHD version of Ampère's Law

$$\mathbf{j} = \nabla \times \mathbf{B} / \mu$$

Twisting the field produces 'free energy' in the form of current.

MHD Force balance equation

~~$$-\nabla p + \mathbf{j} \times \mathbf{B} + \rho \mathbf{g} = \rho \frac{D\mathbf{v}}{Dt}$$~~

Assume \sim steady state, with negligible gravitational forces and pressure gradients (low beta corona). Then

$$\mathbf{j} \times \mathbf{B} = 0$$

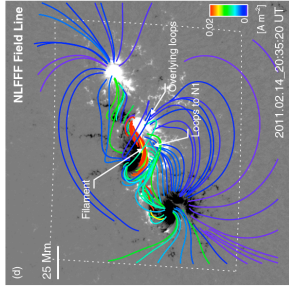
Force-free condition, i. e. field and current are aligned

So $(\nabla \times \mathbf{B}) \times \mathbf{B} = 0$, meaning $(\nabla \times \mathbf{B}) = \alpha \mathbf{B}$

α constant along field lines

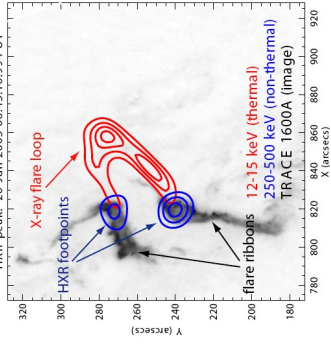
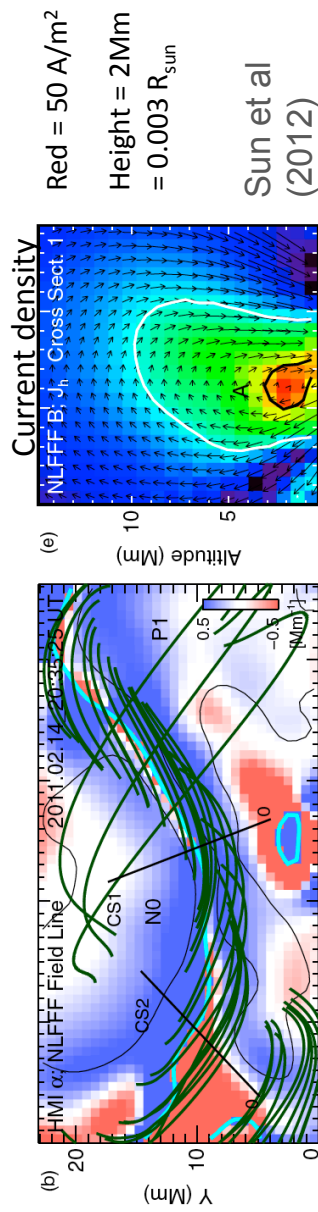


Prior to a flare, energy is stored as currents in the corona



Methods for calculating non-potential fields becoming quite advanced, though still have problems

Demonstrate that energy is stored low in atmosphere ($< 0.01 R_{\text{sun}}$), close to polarity inversion line.

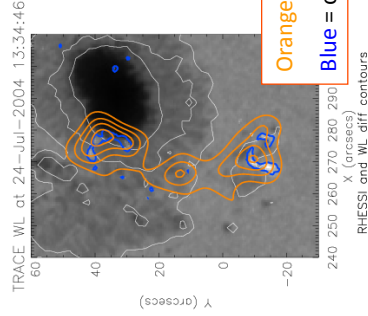


Typically a flare has ~ 2 strong hard X-ray 'footprints' \rightarrow non-thermal electrons

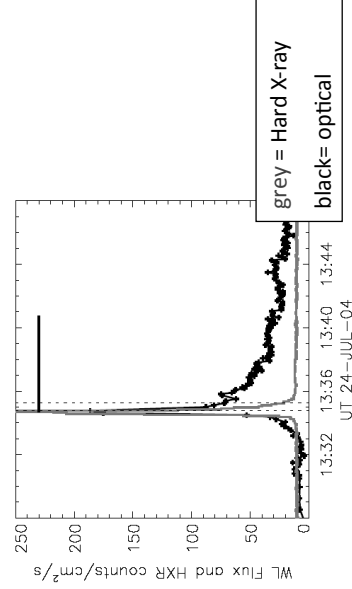
Optical/UV/EUV also produced at the footprints.

Power per unit area $\sim 10^{11}\text{-}10^{12}$ erg $\text{s}^{-1} \text{cm}^{-2}$
This is a large perturbation!

Krucker et al. 2008



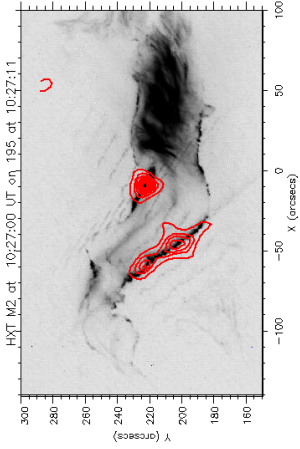
Fletcher et al. 2007



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Impulsive phase morphology

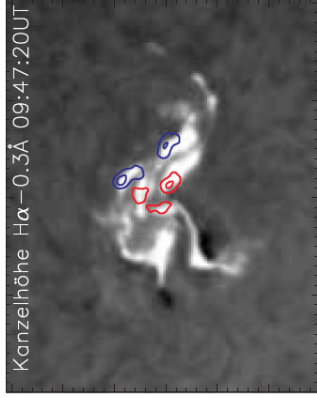


- Most flares organised into 2 main ribbons of emission, bright in H α , UV, EUV

- Can be 4 ribbons in quadrupolar field geometries

- Hard X-ray and optical sources locations are a subset of the UV/H α ribbon locations

- Indicates regions of stronger and weaker energy input
 - probably related to magnetic topology

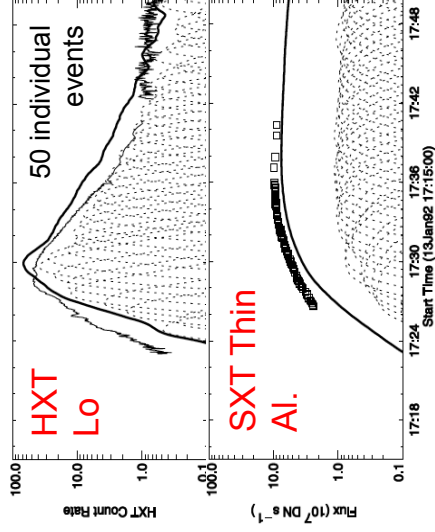
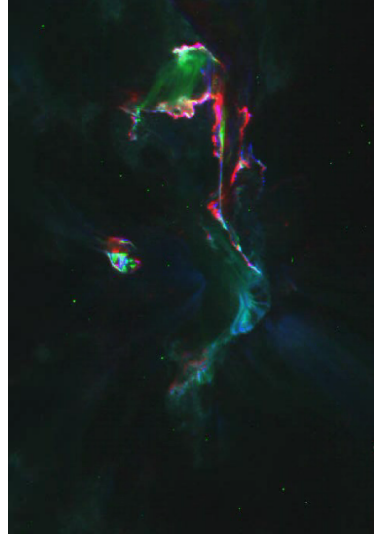


Multiple loops

Larger solar flares involve multiple resolvable loops, excited at different times.

A better agreement between flare EUV/SXR time profiles is obtained for multiple loops (e.g. Reale et al 2004., Warren 2006, Reale et al 2012, etc.)

Flare decay time is determined by single-loop cooling properties *and* overall loop excitation sequence

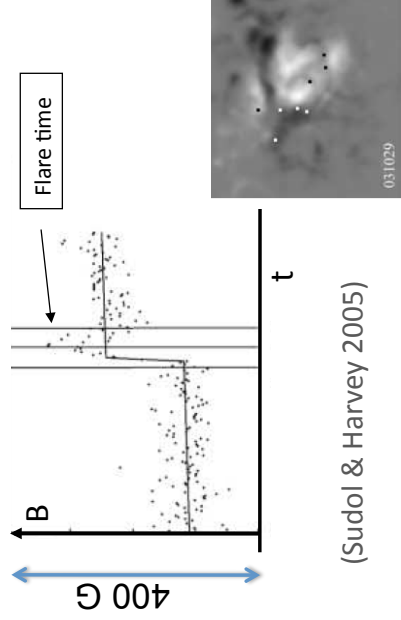


Warren (2006)

There is evidence that deep layers of the solar atmosphere are affected:

Non-reversing field changes

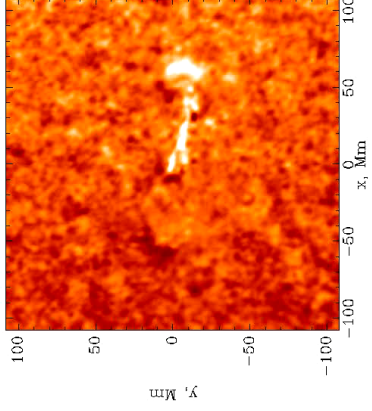
Photospheric LOS field changes of typically ~ 100 G coincident in space & time with impulsive phase



(Sudol & Harvey 2005)

Sunquakes

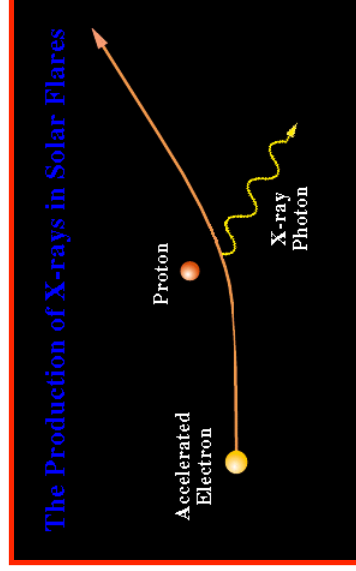
Requires $\sim 0.1\%$ of flare energy to penetrate photosphere



Kosovichev & Zharkova (1996)

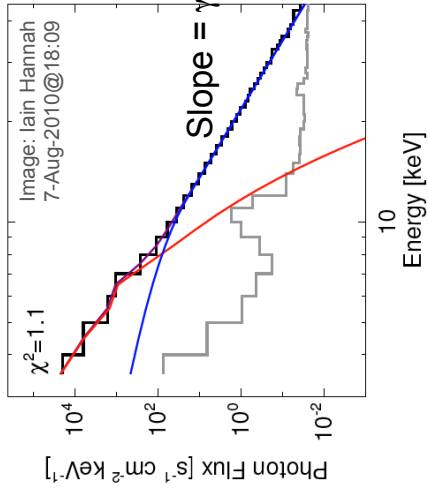
Hard X-rays observed by RHESSI are electron-proton bremsstrahlung from energetic electrons (> 25 keV).

These are the primary diagnostic for flare electrons.



- Most high energy bremsstrahlung is produced in the dense chromosphere.
- In the chromosphere, $E_{\text{electron}} \gg E_{\text{target}}$ and bremsstrahlung is very inefficient.
- Only $\sim 10^{-5}$ of the electron energy is radiated as HXR
- Inferred number: 10^{35} - 10^{36} electrons/s accelerated (would empty flare corona in 10s)

Electron spectral fitting is the basic way we currently assess solar flare energetics.



Assumptions:

- 2 distinct electron populations – thermal & non-thermal
- Non-thermal emission generated by collisionally-stopped electrons in a cold target

Fit parameters from observations:

Nonthermal: F_o , δ ($= \gamma+1$), E_{min}

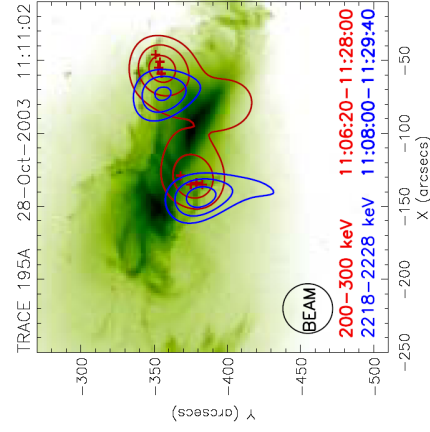
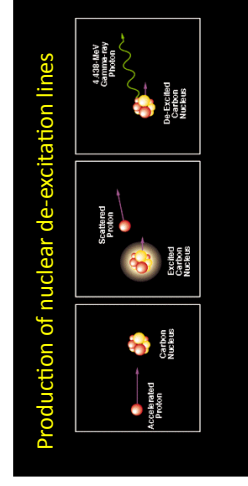
Thermal: T, EM

Only *upper limits* can be set on E_{min}

flare power = $P(> E_{min}) = \frac{F_o}{\delta - 2} E_{min}^{2-\delta}$ so lower limit on P is determined

The presence of accelerated ions in flares is revealed by gamma-rays

Nuclear de-excitation lines caused by bombardment of nuclei by $> 30\text{MeV}$ protons

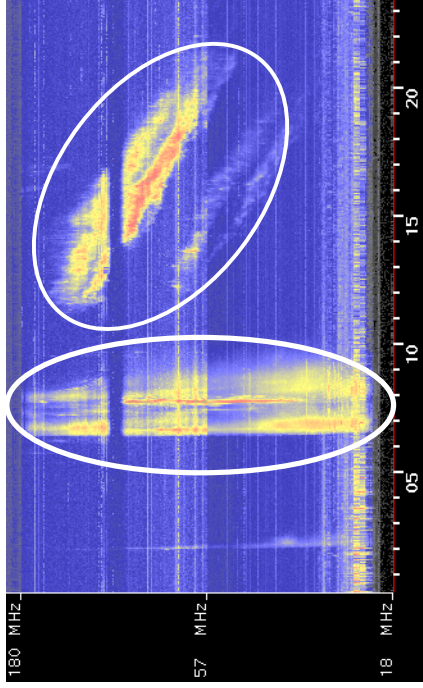


Neutron capture line at 2.23 MeV - $n(p,\gamma)\text{D}$

- shows location of 10s of MeV ions

Others: The **positron annihilation** line at 511keV

Continuum γ -rays by bremsstrahlung ($\sim 10\text{MeV}$)



Type III bursts drift rapidly from high to low frequency.

-produced by flare-accelerated electron beams streaming into space which generate Langmuir waves. These mode-convert to EM radiation.

Type II bursts are produced by electrons accelerated at a super-Alfvenic coronal shock wave, driven by a **coronal mass ejection**.

Radio frequency = plasma frequency



Analysis of flare X-rays and white-light shows that around 10^{36} - 10^{37} electrons per second must be accelerated to 10s of keV (and a similar number of ions). This is a significant problem.

Theories for the origin of the acceleration electric field include:

- due to changing **B** in or near reconnection ($\nabla \times E = -\partial B / \partial t$)
- generated by **locally increased resistivity in a loop** ($E = \eta j$)
- resulting from **small-scale EM or electrostatic turbulence**
- generated in an **MHD shock** (e.g. CME driven)

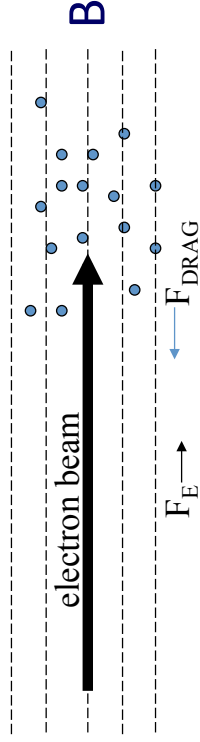
All of the above can produce electrons of a high energy in a short time, but none can readily maintain the *rate* implied by observations.

(rate $\sim 10^{36}$ e/s \Rightarrow essentially all electrons from the corona local to a flare are accelerated within 10s. But the acceleration can last for minutes.)



Field-aligned DC fields

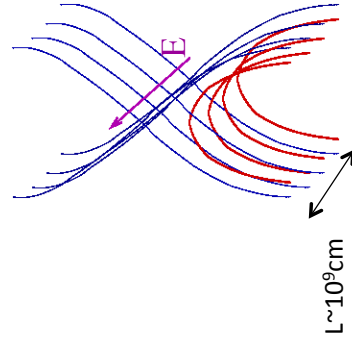
- For example, a local increase in resistivity in a current loop leads to large potential drop (since huge **inductance** of circuit prevents rapid change in current)
- Electrons accelerated if this DC field is greater than the Dreicer field, E_d . The Dreicer field is the value of the DC field such that the force exerted on the electrons exceeds drag force from e-e Coulomb collisions
- E_d typically 10^{-4} V/cm
- Electrons with speeds greater than a critical speed $=v_{Te} (E_d/E)^{1/2}$ are freely accelerated \rightarrow 'runaway' electrons



DC electric fields in a current sheet

Observations suggest that high electric fields occur in reconnection regions.

Inferred values of reconnection electric field are ~ 1 V/cm



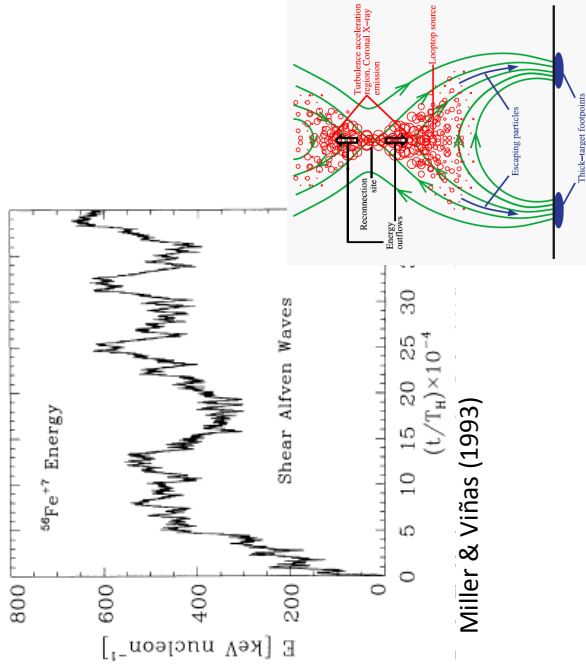
total potential drop = 10^{10} V

But $E \perp B$ almost everywhere. Leads to drifts rather than acceleration

Near *X-line or current sheet*, there may be an 'unmagnetised' region $B(x,y) \rightarrow 0$, or a component of E parallel to B

Here, efficient particle acceleration can occur – but only in a small volume (radius $\sim r_L$)

Particle resonates with high-frequency wave. If a wave spectrum exists, it can 'hop' stochastically from one resonance to another



Miller & Viñas (1993)

Liu et al (2010)

Energy can be lost or gained in each interaction, but overall, energy of particle increases

In principle can operate throughout a large volume, and accelerate many particles.

But process is rather inefficient (~ 1 in 10⁴ particles accelerated)

Solar flares affect all layers in the solar atmosphere and produce radiation and particles right across the spectrum.

Understanding them requires harnessing all branches of plasma physics (along with nuclear and atomic physics, radiative transfer... etc)

Some formidable challenges ahead, e.g.:

- How do we extend our understanding of 2-D reconnection to 3-D?
- How do we tie together the MHD and kinetic theory?
- Are our trusted old models for flare energy transport still viable?

Answering these will involve the detailed plasma physics which has been painfully learned in lab and magnetospheric plasmas...take every opportunity to learn about these other fields!